

# Learning Objectives

## 3/13/18

- I can solve and graph quadratic inequalities.

Opening: 3/13/18

How are **equations**  
different from  
**inequalities**?

# Guided Practice: Graphing Quadratic Inequalities 3/13/18

1. Find the vertex:  $\left(\frac{p+r}{2}, f\left(\frac{p+r}{2}\right)\right)$  or  $\left(-\frac{b}{2a}, f\left(-\frac{b}{2a}\right)\right)$
2. Factor the quadratic, solve for roots
3. Graph the function
4. Choose a test point (0,0) if not on graph
  - i. Evaluate test point
  - ii. If TRUE shade point section
  - iii. If FALSE shade other section

## Example:

$$y > x^2 - 2x - 3$$

$$y > (x - 3)(x + 1)$$

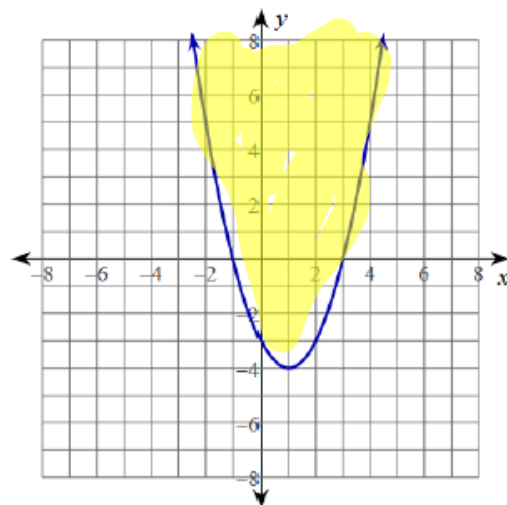
$$x = 3, -1$$

$$(1, -4)$$

factor.

roots

vertex.



Test Point: (0,0)

Evaluate Test Point:  $0 > f(0)$

$$0 > -3 \quad \checkmark$$

Give three Possible Solutions: (1, 1)  
(1, 4)  
(2, 2)

1.  $x^2 - 4x - 12 \geq y$

equation.

$(x-6)(x+2)$

factor.

~~$\begin{matrix} -12 \\ -6 & 2 \\ -4 \end{matrix}$~~

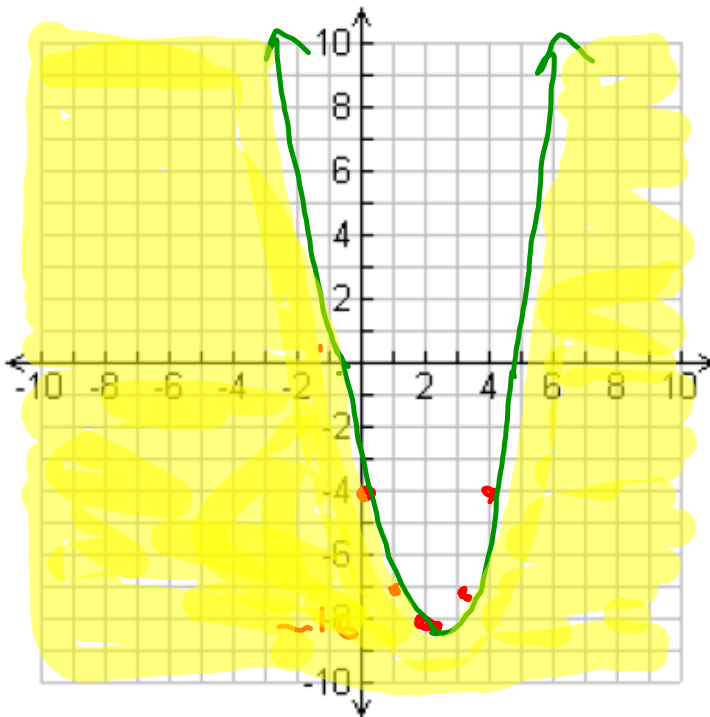
$x = 6, -2$

roots

$x = \frac{6 + (-2)}{2} = 2$

$(2, -16)$

vertex.



Test Point: (0,0)

Evaluate Test Point:  $0 \leq -12$

~~True~~  
false

Give three Possible Solutions: (-4,-6)  
(-2,-2)  
(6,-6)

2.  $x^2 + 4x + 4 < y$

$(x+2)(x+2)$

equation.

~~$\begin{matrix} 4 & \\ 2 & \times & 2 \\ & 4 & \end{matrix}$~~

factor.

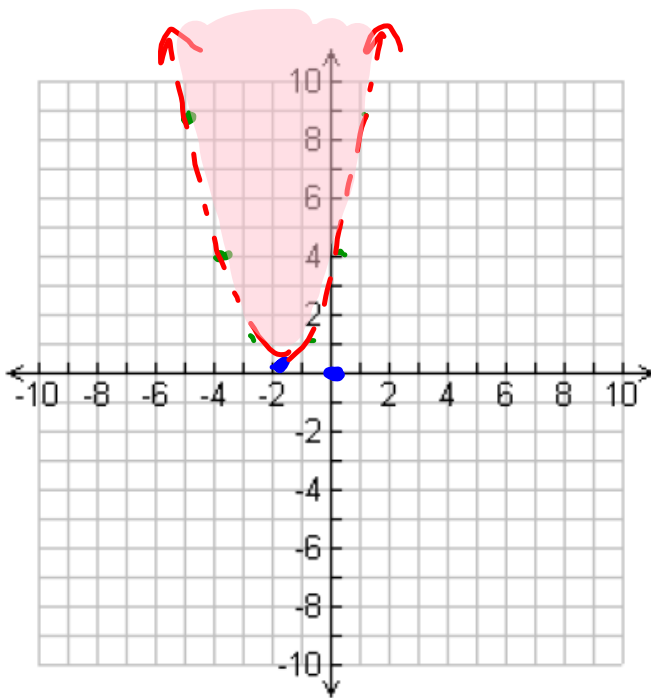
$x = -2$   
 $(-2, 0)$

roots  $x$

$= \frac{-4}{2} = -2$

vertex.

$x = \frac{-b}{2a}$



Test Point:  $(0, 0)$

Evaluate Test Point:  $4 < 0$

false

Give three Possible Solutions:  $(-2, 6)$

$(-1, 8)$

$(-2, 5)$

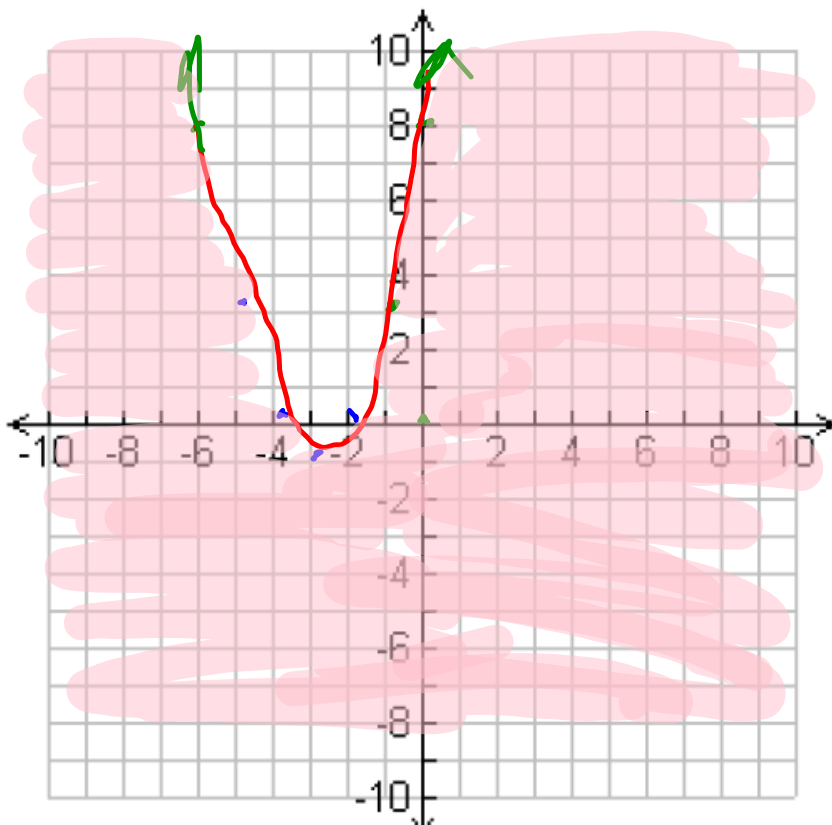
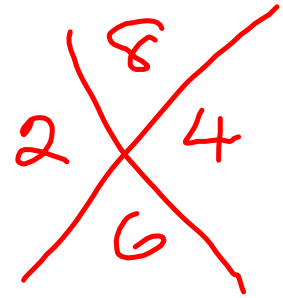


3.  $x^2 + 6x + 8 \geq y$  equation.

$(x+2)(x+4)$  factor.

$x = -2, -4$  roots

$(-3, -1)$  vertex.



Test Point: (0, 0)

Evaluate Test Point:  $8 \geq 0$

True

Give three Possible Solutions: (-2, -3)

(-5, 4)

(-6, 1)

4.  $x^2 - 10x + 16 \leq y$

equation.

$(x-2)(x-8)$

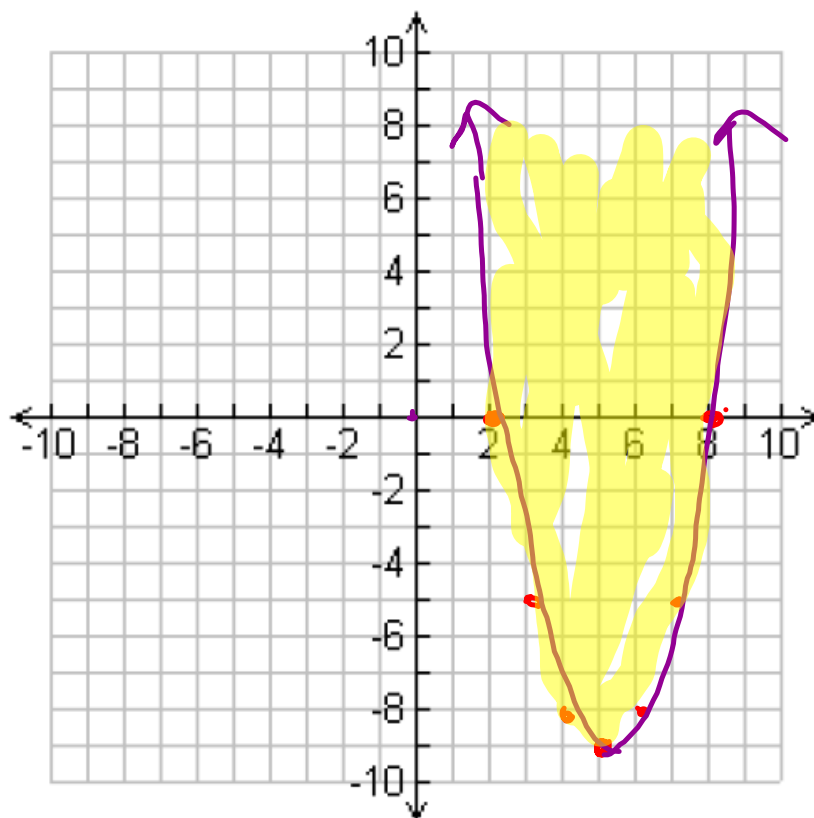
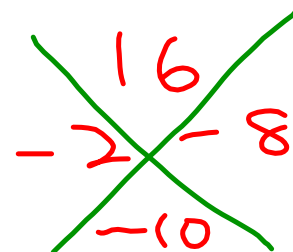
factor.

$x = 2, 8$

roots

$(5, -9)$

vertex.



Test Point:  $(\overset{x}{0}, \overset{y}{0})$

Evaluate Test Point:  $16 \leq 0$   
false

Give three Possible Solutions:  $(2, 0)$   
 $(3, -4)$   
 $(4, -1)$