

## Simplifying Radicals

Perfect Square	Number is NOT a Perfect Square
<p>List of Perfect Squares:</p> <p>If the problem contains a perfect square:</p> <ul style="list-style-type: none"> <li>Find the square root</li> <li>The square root would be an integer</li> </ul> <p><b>Examples:</b></p> <p>1) <math>\sqrt{25}</math></p> <p>2) <math>-\sqrt{144}</math></p>	<p>If the problem contains a number that is not a perfect square:</p> <ul style="list-style-type: none"> <li>Use the product of two square roots</li> <li>One of these roots should be a perfect square</li> <li>Find the square root of the perfect square, leave the other root as is.</li> </ul> <p><b>Examples:</b></p> <p>1) <math>\sqrt{12} = \sqrt{\quad} \cdot \sqrt{\quad}</math></p> <p>2) <math>\sqrt{32} = \sqrt{\quad} \cdot \sqrt{\quad}</math></p>
Exponent is even	Exponent is odd
<p>If the problem contains an even exponent:</p> <ul style="list-style-type: none"> <li>Divide the exponent by 2</li> </ul> <p><b>Examples:</b></p> <p>1) <math>\sqrt{x^4}</math></p> <p>2) <math>\sqrt{x^4y^2z^6}</math></p>	<p>If the problem contains an odd exponent:</p> <ul style="list-style-type: none"> <li>Break the problem up into 2 powers</li> <li>One should have the highest even exponent</li> <li>The other exponent should be 1</li> <li>The sum of both exponents should be the original exponent</li> </ul> <p><b>Examples:</b></p> <p>1) <math>\sqrt{x^5} = \sqrt{\quad} \cdot \sqrt{\quad}</math></p> <p>2) <math>\sqrt{y^{11}} = \sqrt{\quad} \cdot \sqrt{\quad}</math></p>