Module 3 Study Guide Proportional Reasoning

| Name: | | |
|--------|---|------|
| Block: | - | İ |
| Date: | | |

Learning Targets: Proportional Reasoning

| 1. I can write a Ratio in several ways. | |
|--|--|
| Ratio: A comparison of two quantities using division *Order Matters when you write a ratio. *There are 3 ways to write a ratio (1:4, 1 to 4, ¹ / ₄) *Always simplify your ratio | Your Turn In Mrs. Washington's class, there are 5 students who own an ipad and 15 students who own an iphone. A. What is the ratio of iphones to ipads? B. What is the ratio of ipads to iphones? c. What is the ratio of iphones to total students? D. What is the ratio of ipads to total students? |
| | For the following ratio, create two part to whole ratios: The ratio of yellow to blue marbles is 4 to 9. For the following ratio, create a second part to whole and a part to part. 3 out of 10 prefer math over science class. |

2. I can write a Ratio to compare two quantities and explain the meaning of the Ratio.

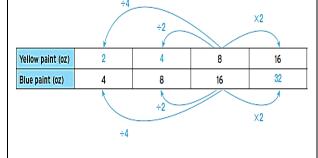
| What does a ratio actually mean? Example: What is the ratio of circles to triangles? $\bigcirc \triangle \triangle$ $\bigtriangleup \bigcirc$ | A. What is the ratio of girls to boys? B. What does this ratio mean? |
|--|---|
| The ratio of circles to triangles is 2:3. What does this ratio mean? For every two circles, there are 3 triangles. | |

3. I can determine Equivalent Ratios by Scaling up or down.

| Scaling up: multiplying numerator and | Find the missing values: |
|--|--|
| denominator by the same factor | 2 blueberry muffins _ 50 blueberry muffins |
| Scaling down: dividing numerator and | 5 total muffins ? total muffins |
| denominator by the same factor. | |
| × 4 | |
| problems correct $4 = \frac{16}{16}$ | |
| $\frac{1}{1} \qquad | |
| × 4 | 20 hours of work = 1 hour of work |
| | \$240 ? |
| | |
| | |
| | |
| | |
| | |
| | |

4. I can determine Equivalent Ratios using a table.

Ratio tables are helpful when solving word problems or if you are given a table with missing values. Think about how you can use number operations to go from each spot to another in a table. You also need to realize that each column in the table represents a ratio and they are all equivalent (hence, you can also use a proportion to find the missing numbers).



| A. Every 2 boxes of fruit snacks will serve 11 students. | |
|--|--|
| How many boxes can serve 22 and 33 students? | |

| Boxes | 2 | | |
|----------|----|----|----|
| Students | 11 | 22 | 33 |

B. Each group of 5 children needs to use two soccer balls. How many soccer groups are needed for 20 and 25 groups of kids?

| Soccer balls | 2 | | |
|--------------|---|----|----|
| Children | 5 | 20 | 25 |

5. I can create and solve Proportions.

| When solving proportions, you can scale up or down OR cross multiply. | A. in a grade level, the number of boys to number of girls is 11:5. If there are 30 girls, how many students are there total? |
|--|---|
| You should LABEL everything in a proportion. | |
| Sometimes, it is best to create your part to part ratio plus the two part to whole ratios before solving to help ensure you solve what is asked of you (See I Can Statement #1). | B. For every 4 seniors, there are 9 freshmen. If there are 728 students total, how many of them are seniors? |

| C. A city bus goes 18 miles in 30 minutes. How far does it go in 2 hours? |
|---|
| |
| |

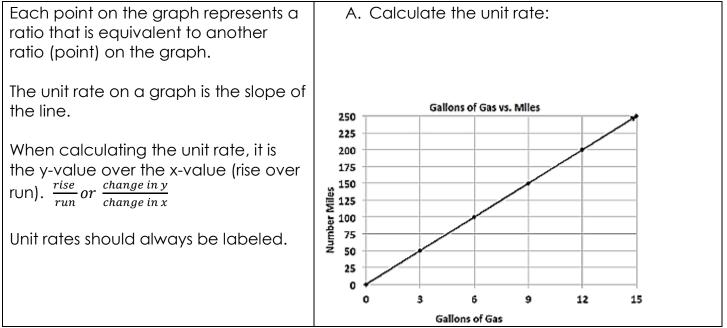
6. I can determine a Unit Rate.

| A unit rate is the rate for one unit of a given quantity which means they have a denominator of one. | A. Austin travels 455 miles in 9 hours. How far did he go in one hour? |
|--|--|
| Example: Sarah reads 88 pages in 4 hours. How many does she read in an hour? <u>88 pages</u> = <u>22 pages</u> <u>4 hours</u> = <u>1 hour</u> | B. Candy canes cost \$1.50 for a dozen candy canes at Christmas time. How much is one candy cane? |
| Unit rates are also useful for determining better buys (which is cheaper per unit?). | |
| Example: Is a 12 oz bag of chocolate chips for \$4 a better deal than an 18 oz bag of chocolate chips for \$4.89? $\xrightarrow{$4.00}{12\text{-oz}} \xrightarrow{12 \div 4 = $0.33 \text{ per ounce}}$ | C. Which is the better deal? 12 oz bottle of Diet Coke for \$1.09. 20 oz bottle of Diet Coke for \$1.99. |
| \$5.50 ÷18 = \$0.31 per ounceBETTER DEAL! | |

7. I can determine the Constant of Proportionality (Unit Rate) from a Table

| Table: • The constant of proportionality | The following table shows the amount of chocolate, in pounds and the price paid. | | | | | |
|--|--|-----------------|-----------------|-------------|--|--|
| is $\frac{y}{x}$. This value must be the same in the table. | Chocolate in pounds (x) | 2 | 3 | 4 | | |
| | Cost in dollars (y) | 9 | 13.50 | 18 | | |
| Equation The equation of a proportional relationship must be in the form of y = kx Example: C = 7n | a) What is the cor B) Write an equati amount of chocol | on to express t | he relationship | between the | | |
| The constant of proportionality is the coefficient of n which is 7. | c) What is the ma: with \$72.00? | | | you can buy | | |
| | | | | | | |

8. I can determine a Unit Rate from a Graph.



9. I can compare different representations of Equivalent Ratios & Unit Rates.

| To compare different representations | A. Jill and | Katie | | e diffe | erent | part [.] | time i | obs c | IS |
|--------------------------------------|-----------------------------|---------|-------|----------|-----------|-------------------|-----------|-------|-----------|
| of ratios, determine the unit rate. | shown be | | | | | • | | | |
| | determine | e how | / muc | ch the | ey ma | ike pe | er hou | Jr. | |
| | Jill: | | | | | | | | |
| | Hours | 2 | 4 | 6 | 8 | 10 | 12 | 14 | 16 |
| | Dollars | 18 | 36 | 54 | 72 | 90 | 108 | | |
| | | | | | | | | | |
| | | | | | | | | | |
| | | | | | | | | | |
| | | | | | | | | | |
| | | | | | | | | | |
| | | | | | | | | | |
| | Katie: | | | | | | | | |
| | Katie: Hours | 3 | 6 | 9 | 12 | 15 | 18 | 21 | 24 |
| | | 3 36 | 6 | 9 108 | 12 144 | 15 180 | 18 216 | 21 | 24 288 |
| | Hours Dollars | 36 | _ | 108 | 144 | 180 | 216 | | 288 |
| | Hours Dollars Who mak | 36 | _ | 108 | 144 | 180 | 216 | | 288 |
| | Hours Dollars | 36 | _ | 108 | 144 | 180 | 216 | | 288 |
| | Hours Dollars Who mak | 36 | _ | 108 | 144 | 180 | 216 | | 288 |
| | Hours Dollars Who mak | 36 | _ | 108 | 144 | 180 | 216 | | 288 |
| | Hours Dollars Who mak | 36 | _ | 108 | 144 | 180 | 216 | | 288 |
| | Hours Dollars Who mak | 36 | _ | 108 | 144 | 180 | 216 | | 288 |